

Astrophysics project

New insights on the first galaxies from the *James Webb* Space Telescope

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Main goals of this course

Theoretical topics :

(i) The *James Webb* Space Telescope(ii) What is a galaxy? And what are their physical properties ?(iii) The evolution of the Universe and the hierarchical model

Practical topics :

(i) Programming in Python(ii) Plotting in Python(iii) analysing large dataset

The main goal of this project: From the deepest image obtained with the JWST, determine the distribution in luminosity of galaxies as a function of redshift, i.e. the Luminosity Function, and compare your results with previous findings from the Hubble Space Telescope.



Introduction

The *James Webb* Space Telescope What is a galaxy ?







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- 6.5m diameter mirror
- 4 instruments
- 3 modes : imaging, spectroscopy, coronagraph





- Key questions:
 - The formation of the galaxies
 - The study of exoplanets atmospheres
 - The study of dark energy











The calibration of the JWST



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The real fist image of the JWST





12th July 2022 from the White House (US)





The first scientific image of the JWST





The JWST Advanced Deep Extragalactic Survey (JADES)





THE GALAXY ZOO



Edwin Hubble 1889-1953



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ELLIPTICALS / EARLY TYPE GALAXIES

The elliptical galaxies are classified following the ratio between their major (a) and minor (b) axis, and named E_n with n:

$$n = 10 \ \frac{a-b}{a}$$







ELLIPTICALS / EARLY TYPE GALAXIES

The main properties of ellipticals are :

- Gas poor
- No star formation
- Old stars
- Stellar mass ranging between 10^{11} and $10^{13} M_{\odot}$

The surface brightness of an elliptical galaxy is given by :

$$I(R) = I_0 \exp\left[-\left(\frac{R}{a}\right)^{\frac{1}{4}}\right]$$





SPIRALS / LATE TYPE GALAXIES

A spiral galaxy is always composed of a bright bulge and a disk







SPIRALS / LATE TYPE GALAXIES

The classification of spirals galaxies depends on the openness of arms and the prominence of the bulge.

From Sa to Sc : the openness of the arms increases, and the bulge prominence decreases.







SPIRALS / LATE TYPE GALAXIES

The classification of spirals galaxies depends on the openness of arms and the prominence of the bulge.

From Sa to Sc : the openness of the arms increases, and the bulge prominence decreases.

The main properties of spirals are :

- Gas rich
- star formation on-going
- Gas in both low density neutral hydrogen and dense molecular hydrogen
- The fractional mass of neutral hydrogen to the total is <0.03 for a Sa, and goes up to 0.1 for a Sc







SPIRALS / LATE TYPE GALAXIES

We can refine the classification by adding :

- The presence of a ring (r)
- The definition of the arms : from well defined 'I' to fuzzy 'V'







SPIRALS / LATE TYPE GALAXIES

To describe the brightness profile of a spiral (or spiralbarred) galaxy, we need to consider the two components : the disc and the bulge.

A spiral seen face-on has a light profile given by : $I(r) = I_0 \exp\left(-\frac{r}{a}\right)$ The overall distribution of mass in the disc is given by : $\rho(r, z) = \rho_0 \exp\left(-\frac{r}{a}\right) \exp\left(-\frac{|z|}{h}\right)$

<u>Scale height</u>: the height at which the density falls of by a factor *e*





The physical properties of galaxies

Magnitudes



The luminosity of a galaxy





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Taking into account the distance



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The luminosity of a galaxy



Transmission of JWST filters

The apparent magnitude of a galaxy is always measured in a filter, i.e. within a given wavelength.



 $m_{AB} = 23.9 - 2.5 \times log_{10}(f[\mu Jy])$



The luminosity of a galaxy

To compare the intrinsic luminosity of a galaxy, one has to estimate the absolute magnitude of a galaxy

By definition, the absolute magnitude of a galaxy is the magnitude a galaxy would have *if it were located at 10pc from the Earth*





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The luminosity of a galaxy





Object	Apparent magnitude	Absolute magnitude	
Sun	-26.8	4.83	
Alpha Centuri	-0.3	4.1	
Rigel	0.14	-7.1	
Deneb	1.26	-7.1	
Andromeda Galaxy	3.44	-20.6	

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First hands-on session

- Use the JWST archive to download a catalog of sources

- Using **Python**, plot the luminosity distribution of all sources



The JWST archive





The JWST archive



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The JWST Advanced Deep Extragalactic Survey (JADES)

Primary Investigator: Daniel Eisenstein, Nora Luetzgendorf

HLSP Authors: Marcia Rieke, Brant Robertson, Sandro Tacchella, Christopher Willmer, Ben Johnson, Stefano Carniani, Andy Bunker, Chris Willott, Alex Cameron, Emma Curtis-Lake

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Updated: 2023-10-20





The JWST archive

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References				
Bunker, A. et al.	Eisenstein et al.	Hainline et al. 2023 🗹		
2023 🗹	2023 🗹	JADES Photometric Redshifts		



The Jupyter Notebook software



Python's package to install : numpy, astropy, matplotlib

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Magnitudes distribution of the JADES catalogue

In the JADES catalog, fluxes are in nJy

If an object is not detected its flux is set to $f \leq 0$





The physical properties of galaxies

Redshifts

Luminosity Function



The redshift





THE GALAXY LUMINOSITY FUNCTION

The galaxy Luminosity Function is the distribution in luminosity of the number density of galaxies at a given redshift. Its form has been described empirically by Schechter (1976) :

$$\Phi\left(\frac{L}{L^*}\right) d\left(\frac{L}{L^*}\right) = \Phi^*\left(\frac{L}{L^*}\right)^{lpha} \exp\left(-\frac{L}{L^*}\right) d\left(\frac{L}{L^*}\right)$$

which can be written as :

 $\Phi(x)dx = \Phi^* x^\alpha e^{-x} dx$

Where Φ^* and L^* are the density and luminosity where there is a change in the shape of the function, and α is the slope at the faint-end.





THE GALAXY LUMINOSITY FUNCTION

To measure the LF, we need a photometric survey with a redshift for each detected galaxy.

One can naively say that the number of galaxies per given luminosity is the number density of galaxies $\Phi(L)$. This is not the case because of the *Malmquist* bias (preferential detection of intrinsically bright galaxies).



We need to correct this effect to obtain an unbiased determination of the LF.



THE GALAXY LUMINOSITY FUNCTION

Aix*Marseille

The V/V_{max} method (also named the volume luminosity test) is the most successful method to determine the LF.

Taking into account the luminosity limit of the survey L_{lim} we define : *V*: volume within which each source is distributed

 V_{max} : maximum volume within which each source could still be detected







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STELLAR POPULATION

Stars are mainly characterised by their luminosity and surface temperature. They are classified according to their spectral type : *With decreasing T* : O, B, A, F, G, K, M

A diagram showing the luminosity of a star as a function of its temperature is a *Hertzsprung-Russel* (HR) diagram.

Most of the stars are along the line called the Main Sequence where they are fusing hydrogen in their core.

The Giant branch is when the stars are fusing the Helium in their core.



STELLAR POPULATION

Aix*Marseille

We can identify a gap in the HR diagram : that is the place where we can find variable stars (such as RR Lyrae or Cepheid).

Cepheids are evolved variable stars (helium burning stars). Their visual magnitudes vary between a \sim 0.01 and \sim 2 mag, with a period of a few days to a few weeks.

The longer the period of their variability, the brighter their intrinsic luminosity

If we can measure the period of a Cepheid, we can deduce its intrinsic luminosity and therefore its distance.

$$p_{c} = 10^{0.2 \left(\beta \left[(B-V)_{0} + \frac{m}{\beta}\right] - \alpha \log P + \gamma'\right]}$$





The HR diagram ca be used to measure how far away a star cluster/galaxy is from Earth.

This can be done by comparing the apparent magnitudes of a star clusters with distance unknown, with the absolute magnitude of stars with known distance.

The observed group is then shifted in the vertical direction until it reaches the main sequence.

The different in magnitude (m-M) is a direct measure for the distance





Stellar luminosity scales approximately as $L \propto M^{\alpha}$ with $\alpha \sim 3$ for stars with $M < 0.5 M_{\odot}$ and $\alpha \sim 4$ for stars with $M > 0.5 M_{\odot}$

The time a star can remain on the Main Sequence is given by :

 $\tau_{ms} \propto \frac{M}{L} \propto M^{1-\alpha}$

From previous equation, we clearly see that massive stars have shorter lifetime. Therefore, the most massive stars are excellent tracers of recent star formation. According to the HR diagram the most massive stars are O and B.

Stellar luminosity scales approximately as Lα M^α with $\alpha \sim 3$ for stars with $M < 0.5 M_{\odot}$ and $\alpha \sim 4$ for stars with $M > 0.5 M_{\odot}$





The mass budget is dominated by the low-mass stars. But according to the relation between Luminosity and Mass $L \propto M^{\alpha}$, the most massive stars dominate the luminosity budget.

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Properties of Galaxies in the Local Universe

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Hands-on session 2

- Select all galaxies at $z \sim 8, 9, 10$

- Plot their distribution in luminosity (or absolute magnitude

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0 1

-22 -21 -20 -19 -18 -17 -16 -15

Mav

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0 1

-22 -21 -20

-19

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-18 -17 -16 -15

The physical properties of galaxies

The cosmological distances

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If we consider any two objects that are far enough away from each other so that they are not bound together by gravity, then the **cosmic scale factor** is the ratio of their proper distance at time t which will call $D_p(t)$ to their current proper distance D_p .

$$a(t) = \frac{D_p(t)}{D_{p_0}}$$

a(t = 0) = 0a(t = now) = 1

The <u>comoving distance</u> (D_{CM}) is defined as the proper distance divided by the scale factor.

 $D_{CM} = \frac{D_{P}(t)}{a(t)}$

For objects that only get further apart (i.e. their proper distance increases) as a result of the expansion of the Universe, the comoving distance between them does not change over time.

Comoving distance 200 million light years

The **Luminosity Distance** depends on cosmology, and it is defined as the distance at which the observed flux **f** is from an object.

$$D_L(z) = \sqrt{\frac{L}{4\pi f}}$$

$$D_L(z) = (1+z)D_{CM}$$

Hands-on session 3

- Plot the number density of objects per luminosity bins

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